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# Active Neural Localization

Devendra Singh Chaplot with Emilio Parisotto, Ruslan Salakhutdinov

#### Localization



#### Estimating the location of an autonomous agent given:



#### Localization



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#### Estimating the location of an autonomous agent given:

• a map of the environment





#### Active Neural Localization (Chaplot, Parisotto, Salakhutdinov)

#### Estimating the location of an autonomous agent given:

• a map of the environment







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#### Localization

#### **Motivation**



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- Localization is considered as the **basic precondition for truly autonomous agents** by Burgard et al. (1998)
- Downstream tasks: exploration, target-navigation, planning
- Applications: autonomous vehicles, factory robots, housekeeping robots, delivery drones

#### **Passive Localization**





#### **Active Localization**





#### **Active Localization**





#### **Related Work**

- Local Localization:
  - Kalman Filters (Smith et al., 1990)
  - Geometry-based visual odometry methods (Nister et al., 2006)
  - DeepVO (Wang et al., 2017), VINet (Clark et al., 2017)
- Global Localization:
  - Markov Localization (Fox, 1998)
  - Multi-hypothesis Kalman filters (Cox & Leonard, 1994; Roumeliotis & Bekey, 2000)
  - Monte Carlo Localization (Thrun et al., 2001)
  - Active Markov Localization (Fox et al., 1998)
- Learning policy:
  - Navigation: (Mirowski et al. 2017)
  - Planning: Value Iteration Networks (Tamar et al., 2016)
  - Planning under uncertainty: QMDP-Net (Karkus et al., 2017)
  - Mapping and Planning: Cognitive Mapper and Planner (Gupta et al., 2017)
- End-to-end Localization on known maps:
  - PoseNet (Kendall et al., 2015), VidLoc (Clark et al., 2017)



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#### **Problem Formulation**



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 $s_t$ : Agent observation at time t



*M*: Information about the map



 $a_t$ : Action taken by the agent at time t





#### **Problem Formulation**



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 $s_t$ : Agent observation at time t

- $a_t$ : Action taken by the agent at time t
- $y_t$ : Position of the agent at time t
- M: Information about the map

$$P(y_t | s_{1:t}, a_{1:t-1}, M)$$
 : Belief

$$\pi(a_t | s_{1:t}, a_{1:t-1}, M)$$
 : Policy



 $s_t$ : Agent observation at time t $a_t$ : Action taken by the agent at time t $y_t$ : Position of the agent at time tM: Information about the map





(Fox et al., 2003) Carnegie

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## **Bayesian Filtering**

 $s_t$ : Agent observation at time t $a_t$ : Action taken by the agent at time t $y_t$ : Position of the agent at time tM: Information about the map

**Belief:** Probability distribution over  $y_t$  conditioned over past observations  $s_{1:t}$  and actions  $a_{1:t-1}$ :

 $Bel(y_t) = P(y_t|s_{1:t}, a_{1:t-1}, M)$ 

**Likelihood:** Probability of observing  $s_t$  given that the location of the agent is  $y_t$ :

 $Lik(s_t) = P(s_t|y_t)$ 

 $s_t$ : Agent observation at time t $a_t$ : Action taken by the agent at time t $y_t$ : Position of the agent at time tM: Information about the map

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 $Bel(y_t) = P(y_t|s_{1:t}, a_{1:t-1}, M)$ 

**Likelihood:** Probability of observing  $s_t$ given that the location of the agent is  $y_t$ :  $Lik(s_t) = P(s_t|y_t)$  Under the Markov assumption:

$$\overline{Bel}(y_t) = \sum_{y_{t-1}} P(y_t | y_{t-1}, a_{t-1}) Bel(y_{t-1})$$
Belief before observing  $s_t$  Transition Belief after observing  $s_{t-1}$ 

$$Bel(y_t) = \frac{1}{Z} Lik(s_t) \overline{Bel}(y_t)$$
Belief after observing  $s_t$  Prob. of Belief before observing  $s_t$ 

**Transition function:** Probability of landing in a state  $y_t$  from  $y_{t-1}$ , based on the action,  $a_{t-1}$ :  $f_T = P(y_t | y_{t-1}, a_{t-1})$ 



(Fox et al., 2003) Carnegie

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Under the Markov assumption:

$$\overline{Beli}(y_t) = \sum_{y_{t-1}} P(y_t | y_{t-1}, a_{t-1}) Bel(y_{t-1})$$
Belief before  
observing  $s_t$ 

$$\frac{Bel(y_t)}{Belief after} = \frac{1}{Z} Lik(s_t) \overline{Bel}(y_t)$$
Belief after  
observing  $s_t$ 

$$\frac{Bel(y_t)}{Belief after} = \frac{1}{Z} Del(y_t)$$
Belief before  
observing  $s_t$ 

$$\frac{Belief before}{Belief}$$

$$\frac{Belief}{Belief}$$

$$\frac{Belief}{Belief}$$



(Fox et al., 2003) Carnegie Mellon University

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Belief before observing  $s_t$  Transition Belief after observing  $s_{t-1}$ 

$$Bel(y_t) = \frac{1}{Z} Lik(s_t) \overline{Bel}(y_t)$$
Belief after observing  $s_t$  Observing  $s_t$  Drob. of Belief before observing  $s_t$ 

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 $P(y_t|s_{1:t}, a_{1:t-1}, M)$ 



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#### **Representation of Belief and Likelihood**



X





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#### **Representation of Belief and Likelihood**



3-dimensional tensor representing *x*-coordinate, *y*-coordinate and orientation





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### **Representation of Belief and Likelihood**

3-dimensional tensor representing *x*-coordinate, *y*-coordinate and orientation

Each element represents the probability of the agent being present in the corresponding location

→ Map size

Number of orientations

х

 $\times M \times N$ 

#### **Simulation Environments**













Belief before observing  $s_t (\overline{Bel}(y_t))$ 



$\overline{Bel}(y_1)$											
	East	North	West	South							









Eas





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Active

South North

East

North

West

South





Belief before observing  $s_t (\overline{Bel}(y_t))$ 





East

North

West

South

South



Active

East

North

West



Agent's observation  $(s_t)$ 

Belief before observing  $s_t (\overline{Bel}(y_t))$ 





Agent's observation  $(s_t)$ 

Belief before observing  $s_t (\overline{Bel}(y_t))$ 





Agent's observation  $(s_t)$ 

Belief before observing  $s_t$  (*Bel*( $y_t$ ))

Belief after observing  $s_t$  (Bel( $y_t$ ))





Agent's observation  $(s_t)$ 

Belief before observing  $s_t$  ( $\overline{Bel}(y_t)$ )



Belief after observing  $s_t$  (Bel( $y_t$ ))



South





East

Active

North West South

South

East

North West



Agent's observation ( $s_t$ )

Belief before observing  $s_t$  ( $\overline{Bel}(y_t)$ )



East



Belief after observing  $s_t$  ( $Bel(y_t)$ )

Map Design & agent's true location







Active



East

North

West South

Belief before observing  $s_t$  (*Bel*( $y_t$ ))



East





Map Design & Agent's agent's true perspective location





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Agent's observation  $(s_t)$ 







North





Active

South North West

East

East North South

West







Agent's

.

Map Design &

Agent's observation  $(s_t)$ 

Belief before observing  $s_t$  (*Bel*( $y_t$ ))





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Active

South North West

East

East

North

West 

South

Belief after observing  $s_t$  (*Bel*( $y_t$ ))













## Optimization



- At the end of the episode, the location prediction is the element with the maximum probability in the belief tensor.
- The agent receives a positive reward (+1) for correct prediction.
- The entire model is trained end-to-end with reinforcement learning, specifically Asynchronous Advantage Actor-Critic (A3C).













 $Bel(y_4)$ 









 $Bel(y_4)$ 









#### 









 $Bel(y_6)$ 









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#### **Experiments** Train Test **Unseen Mazes Unseen Mazes** Unseen Textures Dynamic Lighting Domain Adaptation

#### Demo video: Doom



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https://www.youtube.com/watch?v=rdhKu8GqVLw





#### **Demo video: Unreal**



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https://www.youtube.com/watch?v=T5Ezx-\_QfU0



Active Neural Localization (Chaplot, Parisotto, Salakhutdinov)

#### Results

Markov Localization (Resnet)Active Markov Localization (Slow)

Active Markov Localization (Fast)
 Active Neural Localization





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#### Active Neural Localization (Chaplot, Parisotto, Salakhutdinov)



#### **Results**

(S)

Runtime

Markov Localization (Resnet)

Active Markov Localization (Slow)



47962

2756

2513 11878

Maze3D to

Unreal3D

Domain

adaptation

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Active Markov Localization (Fast) Active Neural Localization

with lights

#### Contributions



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- Fully-differentiable model for active localization
  - Incorporates ideas of traditional filtering-based localization methods by using a structured belief
  - Capable to deciding actions for accurate and efficient localization
  - Entire model trained end-to-end using reinforcement learning
    - Allows perceptual model and policy model to be trained jointly
    - Doesn't require labels, needs only a reward at the end of the episode
- Generalization to not only unseen maps in the same domain but also across domains.



Devendra Singh Chaplot, Emilio Parisotto, Ruslan Salakhutdinov

# **Questions?**





# Appendix



## **Results (2D)**



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Env		Maze2D						
Map Size		7x7		15:	15x15		21x21	
Episode Length		15	30	20	40	30	60	
Markov	Time	12	15	29	31	49	51	31.2
Localization	Acc	0.334	0.529	0.351	0.606	0.414	0.661	0.483
Active Markov	Time	29	53	72	165	159	303	130.2
Localization (Fast)	Acc	0.436	0.619	0.468	0.657	0.512	0.735	0.571
Active Markov	Time	1698	3066	3791	8649	8409	13554	6527.8
Localization (Slow)	Acc	0.854	0.938	0.846	<b>0.984</b>	0.845	0.958	0.904
Active Neural	Time	22	34	44	66	82	124	62.0
Localization	Acc	<b>0.936</b>	<b>0.939</b>	<b>0.905</b>	0.939	<b>0.899</b>	<b>0.984</b>	<b>0.934</b>

#### **Perceptual Model**



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#### **Policy Model**



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